

Consequences of Orbital Selectivity for Magnetism and Superconductivity in Fe-based Superconductors

Andreas Kreisel

Institut für Theoretische Physik, Universität Leipzig

Brian Andersen

Niels Bohr Institute, University of Copenhagen, 2100 København, Denmark

Peter Hirschfeld

Department of Physics, University of Florida, Gainesville, FL 32611, USA



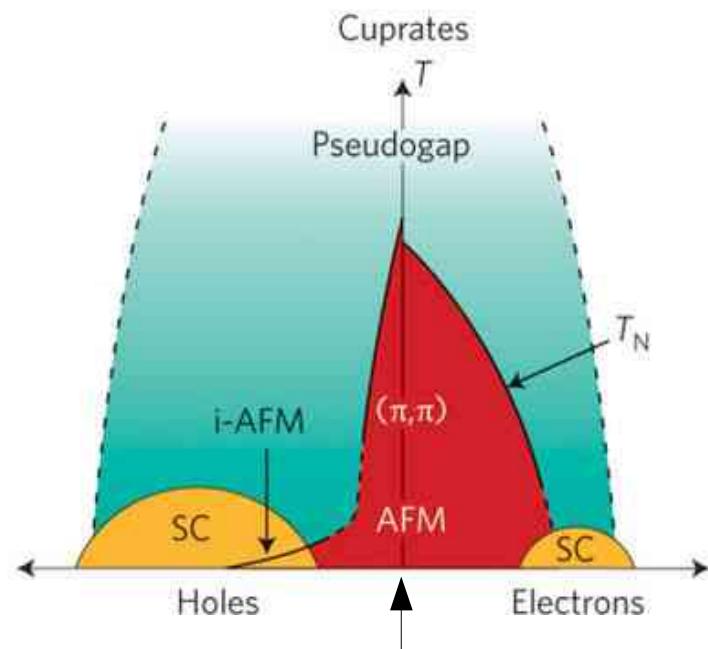
UNIVERSITÄT LEIPZIG

A. Kreisel, et al.
Phys. Rev. B **95**, 174504 (2017)
Peter O. Sprau, et al.,
Science, **357**, 75 (2017)
A. Kostin, et al., arXiv:1802.02266

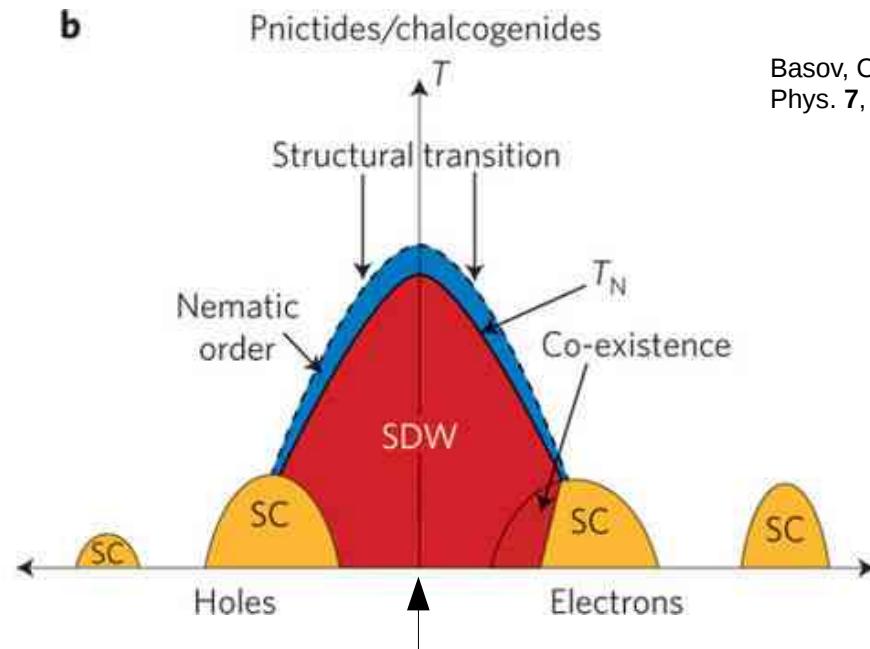


KØBENHAVNS
UNIVERSITET

Correlated superconductivity

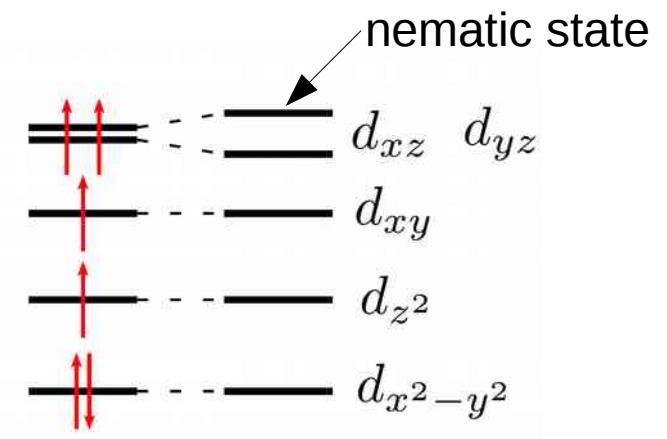
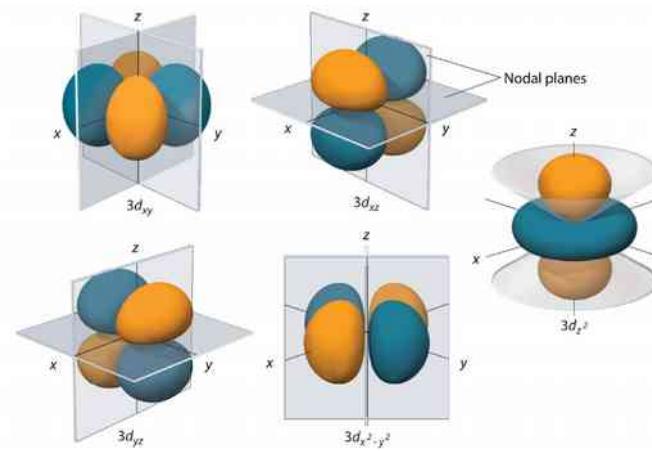
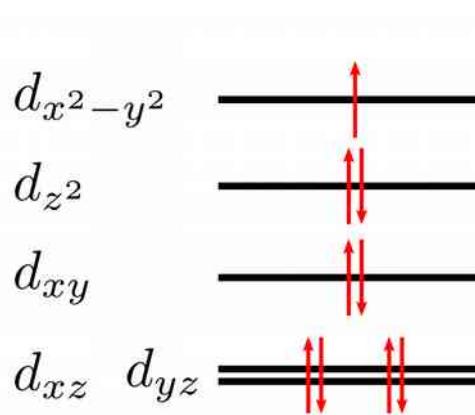


Single band: Mott insulator



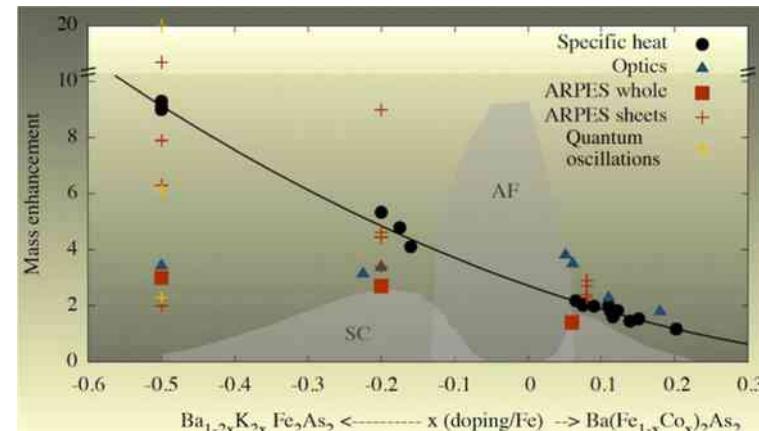
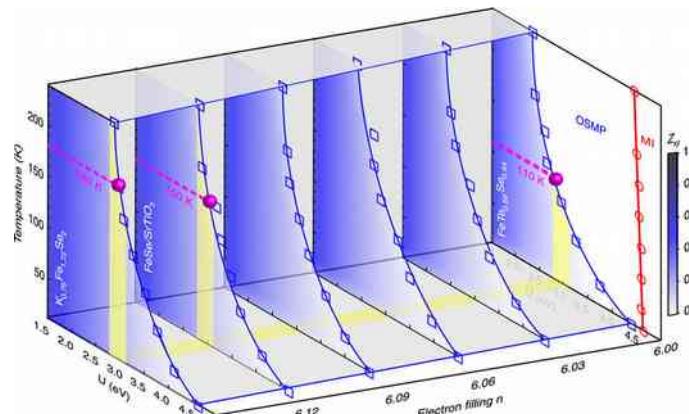
Basov, Chubukov, Nat. Phys. 7, 272 (2011)

Multiband system: Bad metal



Orbital selectivity

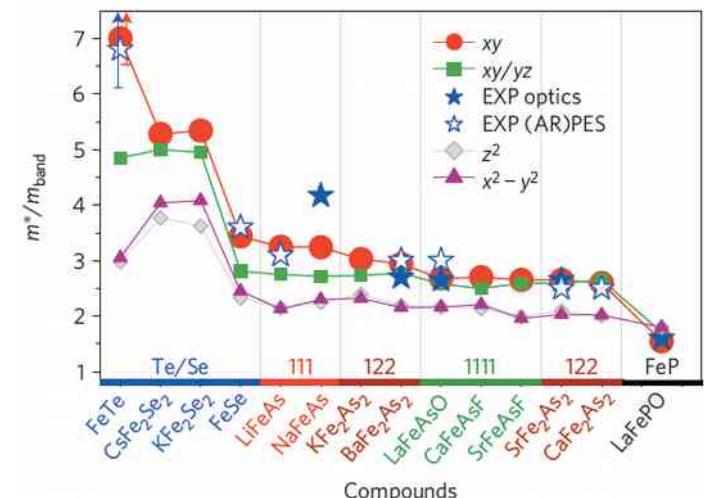
- Fe based materials: multiband systems electrons in some orbitals less coherent



Relevant for Fe based SC:
 Yin, Haule, Kotliar, Nat. Mat. **10**, 932 (2011)
 Greger, Kollar, Vollhardt, Phys. Rev. Lett **110**, 046403 (2013)
 Yu, Si, Phys. Rev. Lett **110**, 146402 (2013)
 de' Medici, Giovannetti, Capone. Phys. Rev. Lett. **112**, 177001 (2014)
 M. Aichhorn, et al., Phys. Rev. B **82**, 064504 (2010)
 Liu et al., Phys. Rev. B **92**, 235138 (2015)
 Yi et al., Nat. Comm. **6**, 7777 (2015)

...

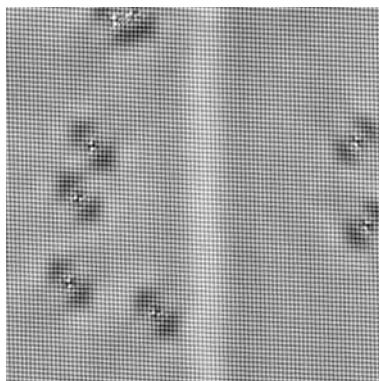
- FeSe
 - nematic order
 - no magnetism
 - opportunity to study unequal states in d_{xz}/d_{yz}



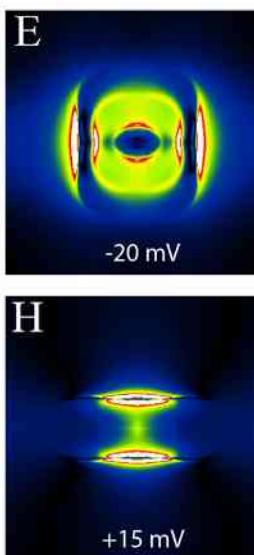
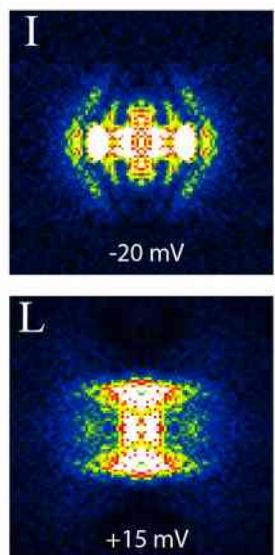
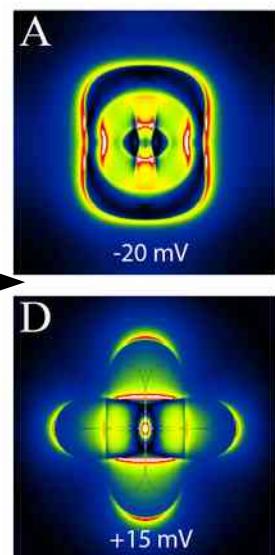
Orbital selectivity Normal state properties

- Normal state QPI

STM: conductance map



FT



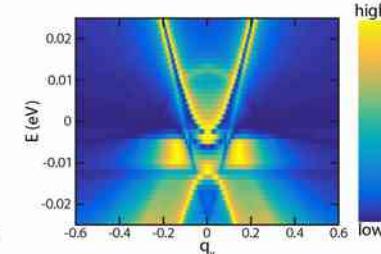
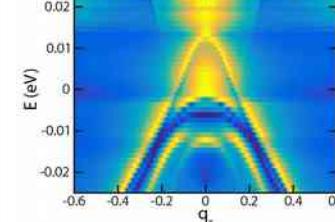
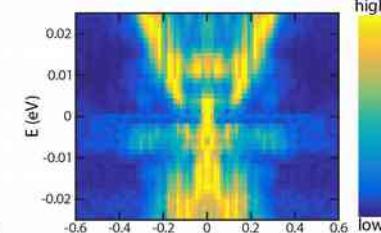
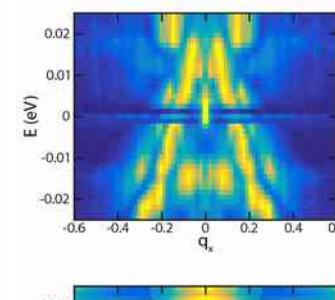
T-matrix: no orbital selectivity $Z=1$

experiment

T-matrix: orbital selectivity (Z as for superconductivity)

A. Kostin et al., arXiv:1802.02266

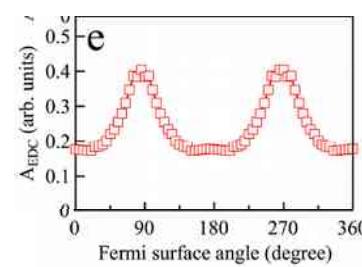
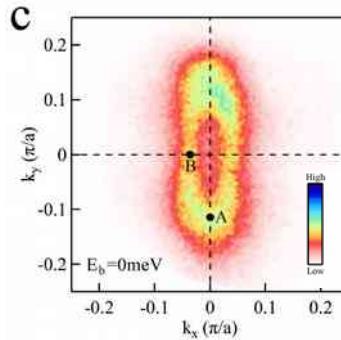
Cuts along axis:
experiment



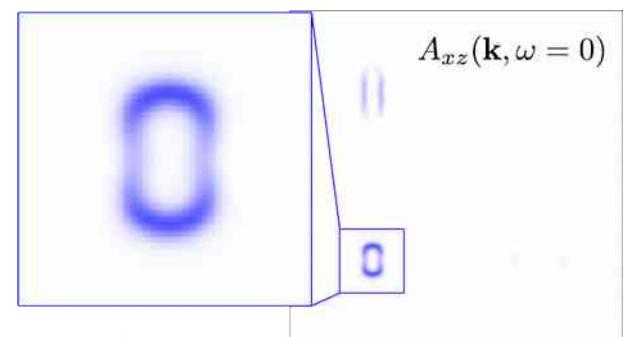
T-matrix with orbital selectivity

- ARPES

Liu, et al., arXiv:1802.02940

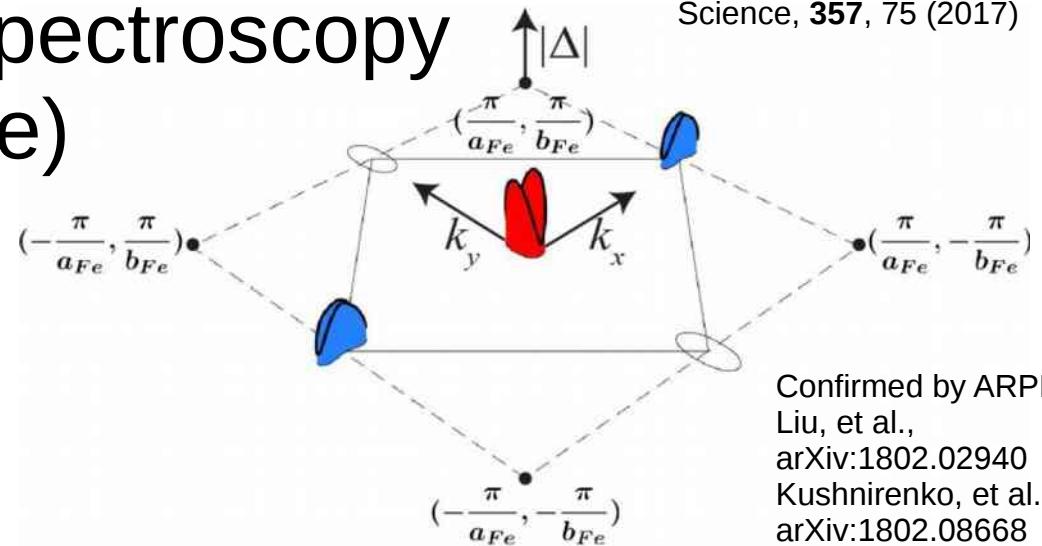
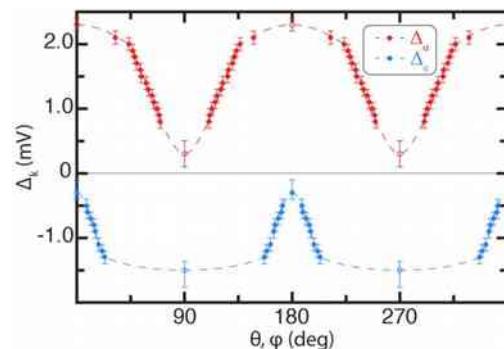


Orbitally resolved spectral function



Orbitally selective superconductivity

- Scanning tunnelling spectroscopy (superconducting state)

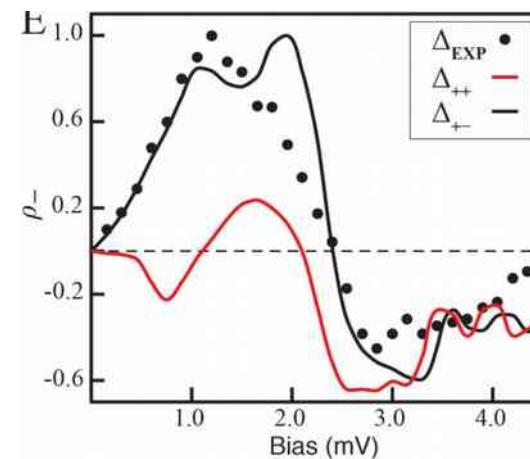
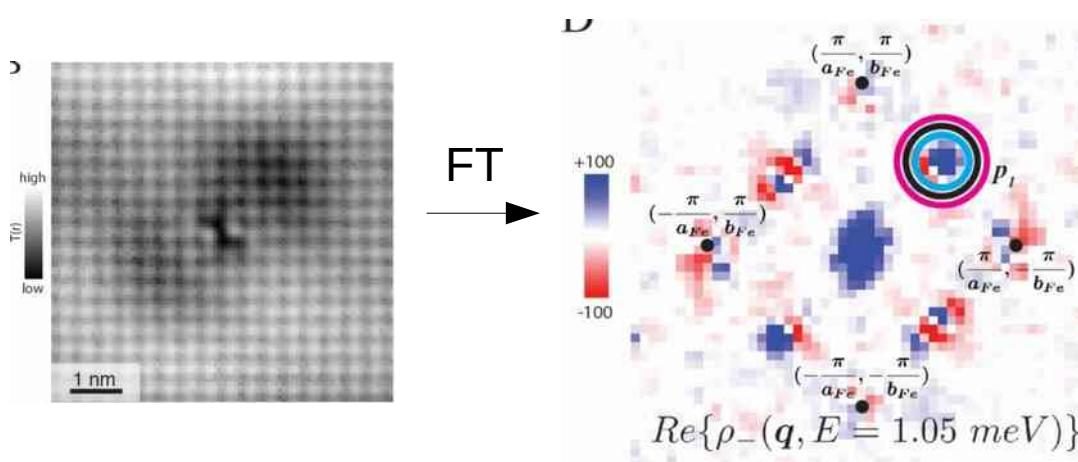


Sprau, Kostin, Kreisel, et al.,
Science, **357**, 75 (2017)

- Sign change

$$\rho_-(\vec{q}, \omega) = \text{Re}\{g(\vec{q}, +\omega)\} - \text{Re}\{g(\vec{q}, -\omega)\}$$

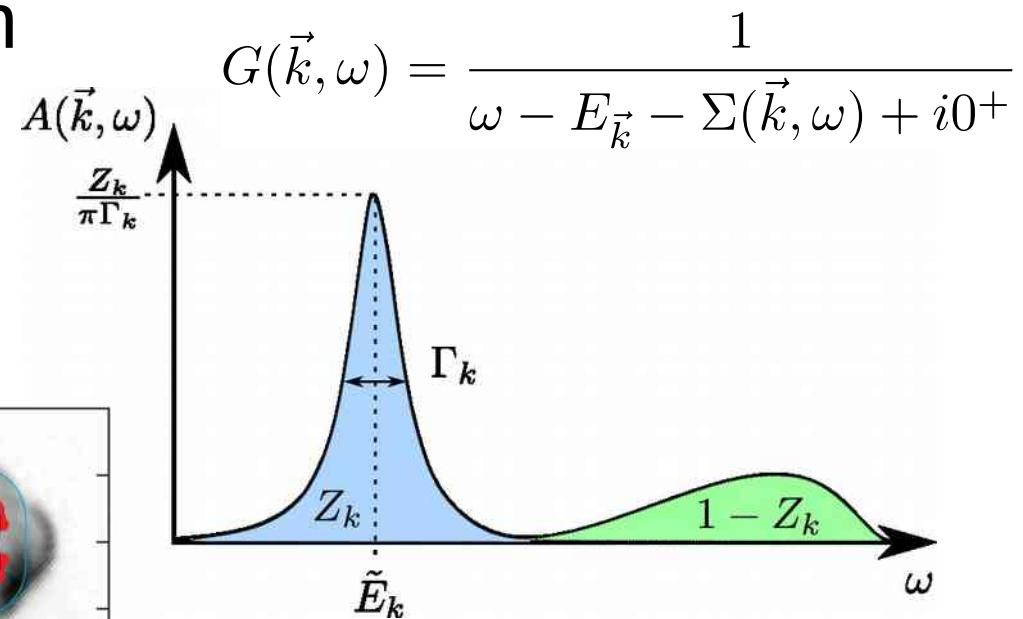
Hirschfeld et al., PRB **92**, 184513 (2015)
J. Martiny, A. Kreisel, et al.
Phys. Rev. B **95**, 184507 (2017)



Confirmed by ARPES:
Liu, et al.,
arXiv:1802.02940
Kushnirenko, et al.,
arXiv:1802.08668

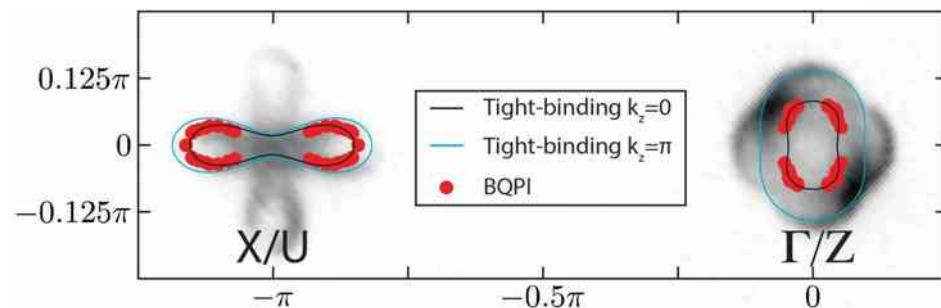
Theoretical approach

- Dressed Green's function



- Parametrization

- true eigenenergies



- quasiparticle weights

geometric mean of quasiparticle weights
(phenomenological/measured/calculated)

Watson, et al., PRB **94**, 201107(R) (2016)
 Watson, et al., PRB **90**, 121111(R) (2014)
 Suzuki, et al., PRB **92**, 205117 (2015)
 Maletz, et al., PRB **89**, 220506(R) (2014)
 Fedorov, et al., Sci. Rep. **6**, 36834 (2016)
 Watson, et al., New J. Phys. **19**, 103021 (2017)
 Peter O. Sprau, et al., Science, **357**, 75 (2017)
 Liu, et al., arXiv:1802.02940

$$\tilde{G}_{\ell\ell'}(\mathbf{k}, \omega_n) = \sqrt{Z_\ell Z_{\ell'}} \sum_{\mu} \frac{a_{\mu}^{\ell}(\mathbf{k}) a_{\mu}^{\ell'*}(\mathbf{k})}{i\omega_n - \tilde{E}_{\mu}(\mathbf{k})}$$

measured true eigenenergies

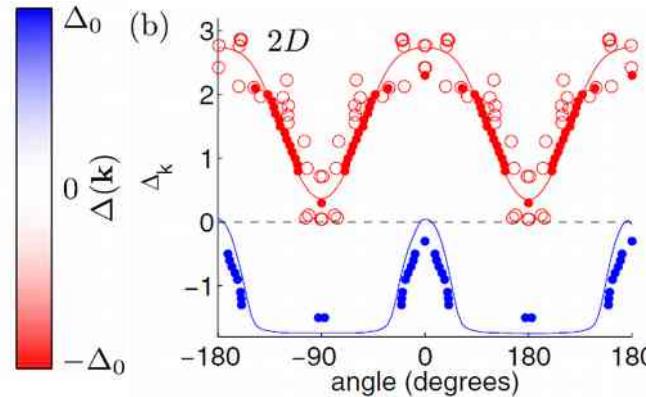
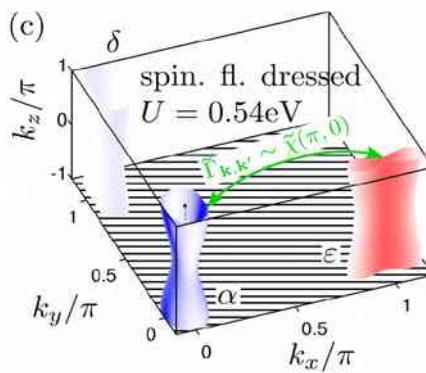
Superconducting state: gap function

- Modified spin-fluctuation theory

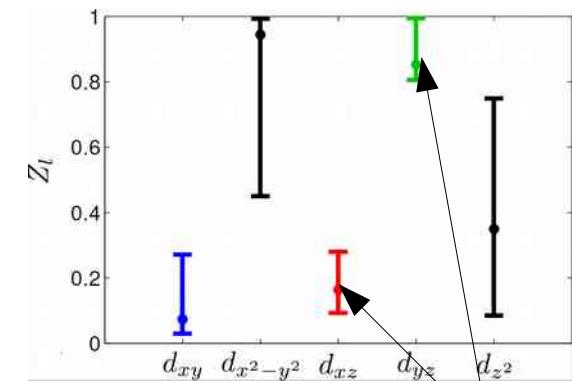
$$\tilde{\Gamma}_{\nu\mu}(\mathbf{k}, \mathbf{k}') = \text{Re} \sum_{\ell_1 \ell_2 \ell_3 \ell_4} \sqrt{Z_{\ell_1}} \sqrt{Z_{\ell_4}} a_{\nu}^{\ell_1, *}(\mathbf{k}) a_{\nu}^{\ell_4, *}(-\mathbf{k}) \tilde{\Gamma}_{\ell_1 \ell_2 \ell_3 \ell_4}(\mathbf{k}, \mathbf{k}') \sqrt{Z_{\ell_2}} \sqrt{Z_{\ell_3}} a_{\mu}^{\ell_2}(\mathbf{k}') a_{\mu}^{\ell_3}(-\mathbf{k}')$$

- Solve linearized gap equation $-\sum_{\mu} \int_{\text{FS}_{\mu}} dS' \frac{\tilde{\Gamma}_{\nu\mu}(\mathbf{k}, \mathbf{k}') g_i(\mathbf{k}')}{V_G |v_{F\mu}(\mathbf{k}')|} = \lambda_i g_i(\mathbf{k})$

Quasiparticle weights (same trends found in microscopic calculations)

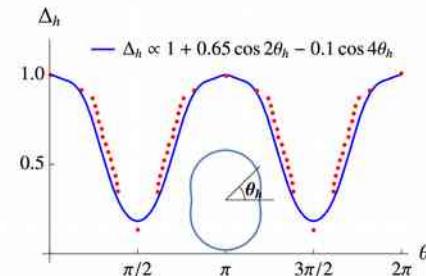


$$\{\sqrt{Z_l}\} = [0.2715, 0.9717, 0.4048, 0.9236, 0.5916]$$

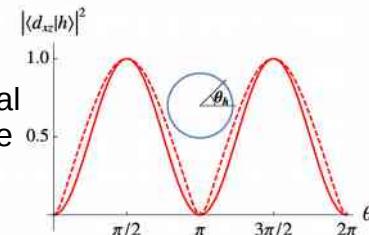


Picture questioned:
Kang, Fernandes, Chubukov
arXiv:1802.01048

but: orbital selectivity in d_{xy}



But:
different orbital
content on the
hole-pocket

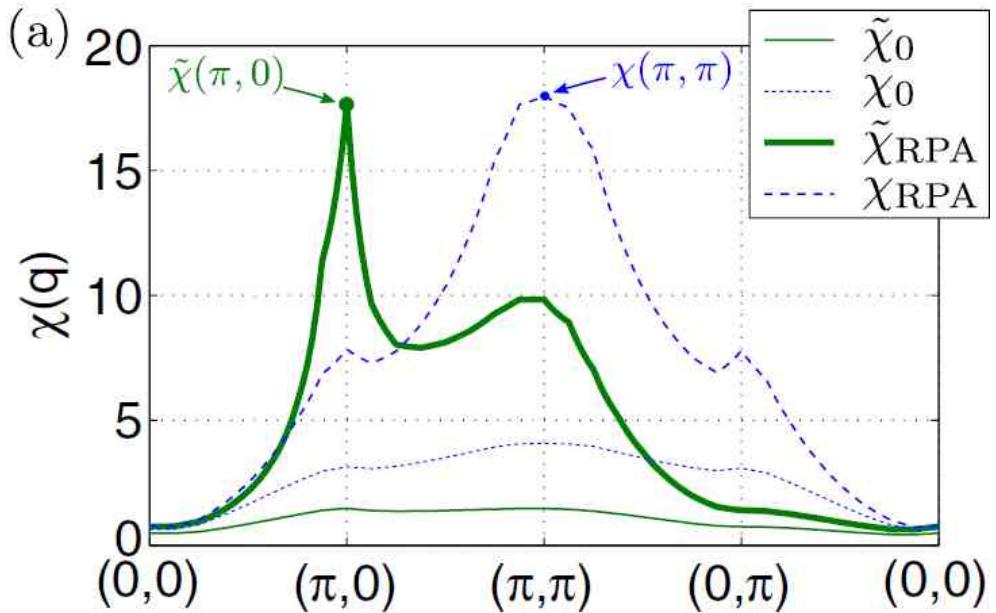
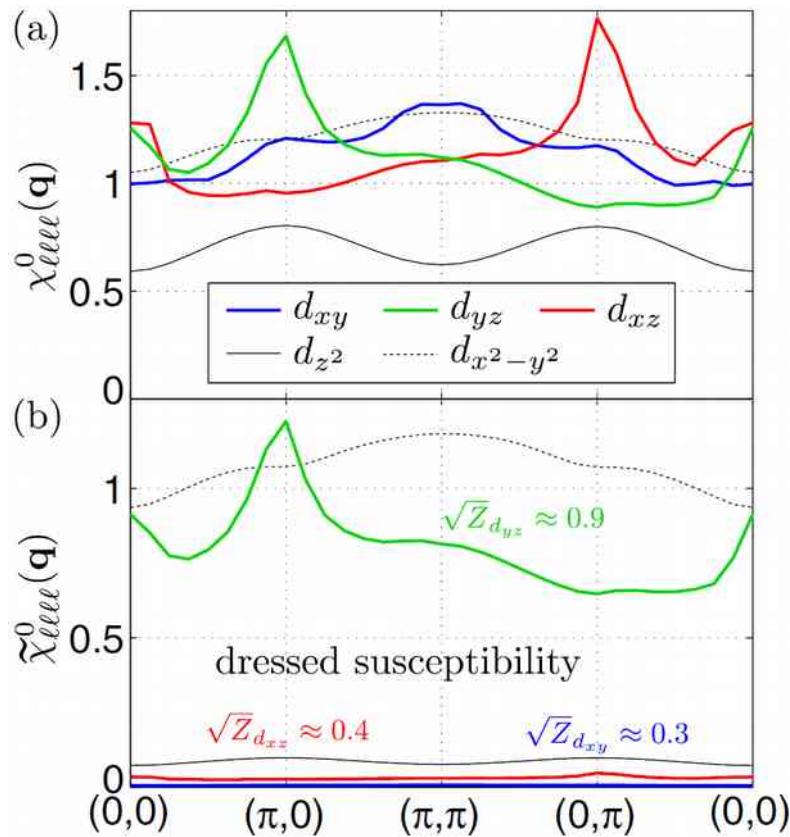


Strong
splitting
required!

Static spin fluctuations

- Use parametrization of Green's function

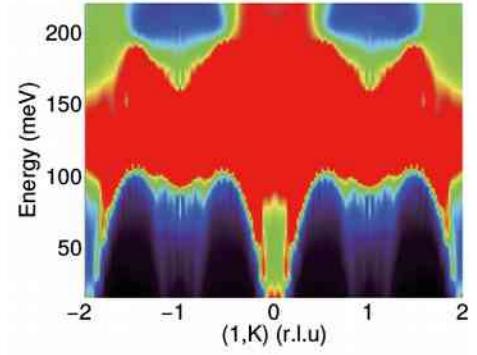
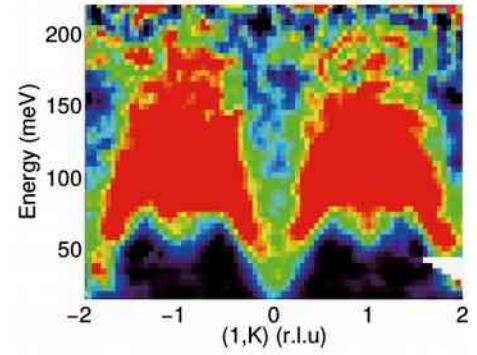
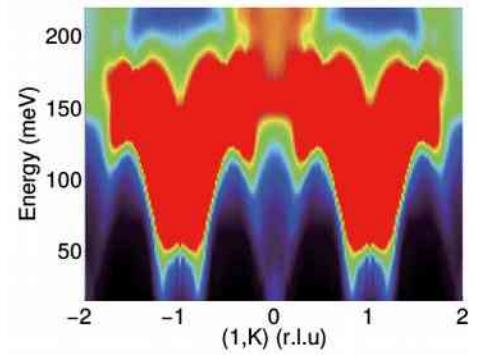
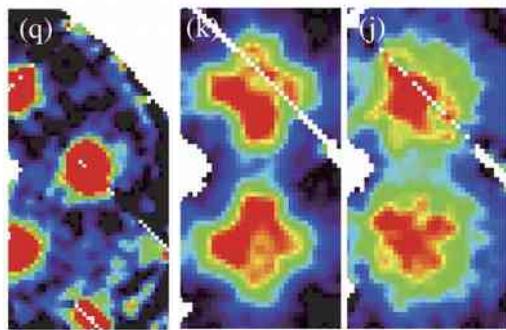
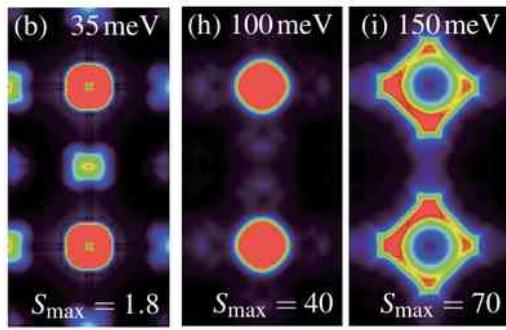
$$\tilde{\chi}_{\ell_1 \ell_2 \ell_3 \ell_4}^0(\mathbf{q}) = \sqrt{Z_{\ell_1} Z_{\ell_2} Z_{\ell_3} Z_{\ell_4}} \chi_{\ell_1 \ell_2 \ell_3 \ell_4}^0(\mathbf{q}),$$



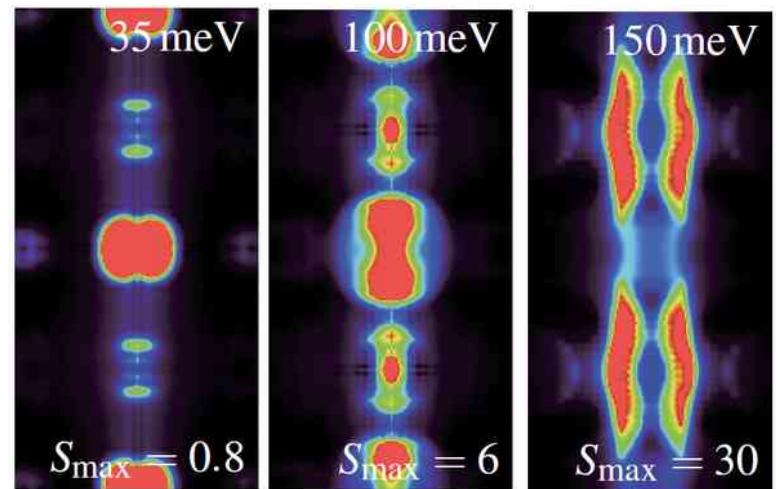
Strong renormalization of d_{xy} :
suppression of (π,π) weight

Spin fluctuations: Inelastic neutron scattering

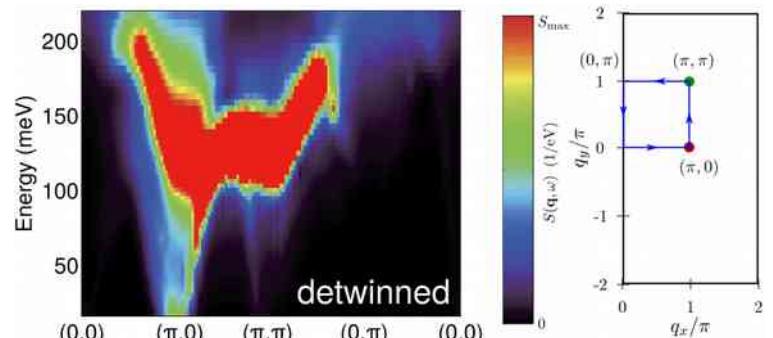
twinned



detwinned



Wang, et al.,
Nat. Commun.
7, 12182
(2016)



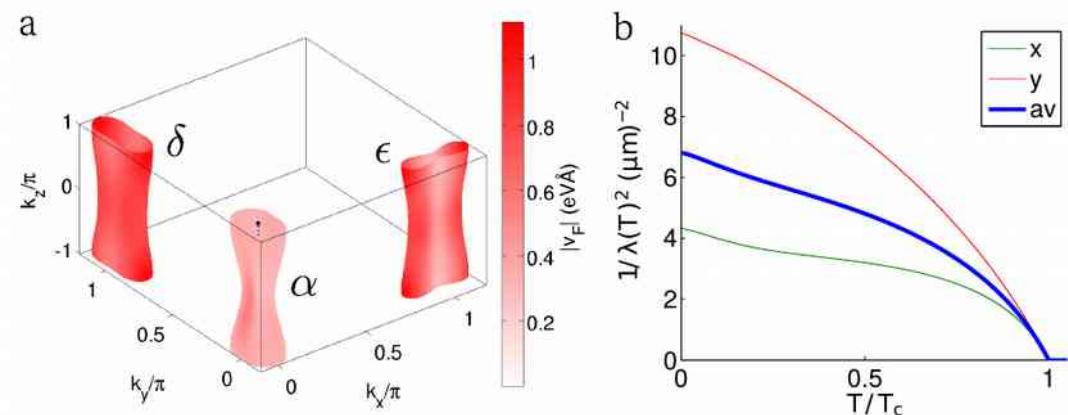
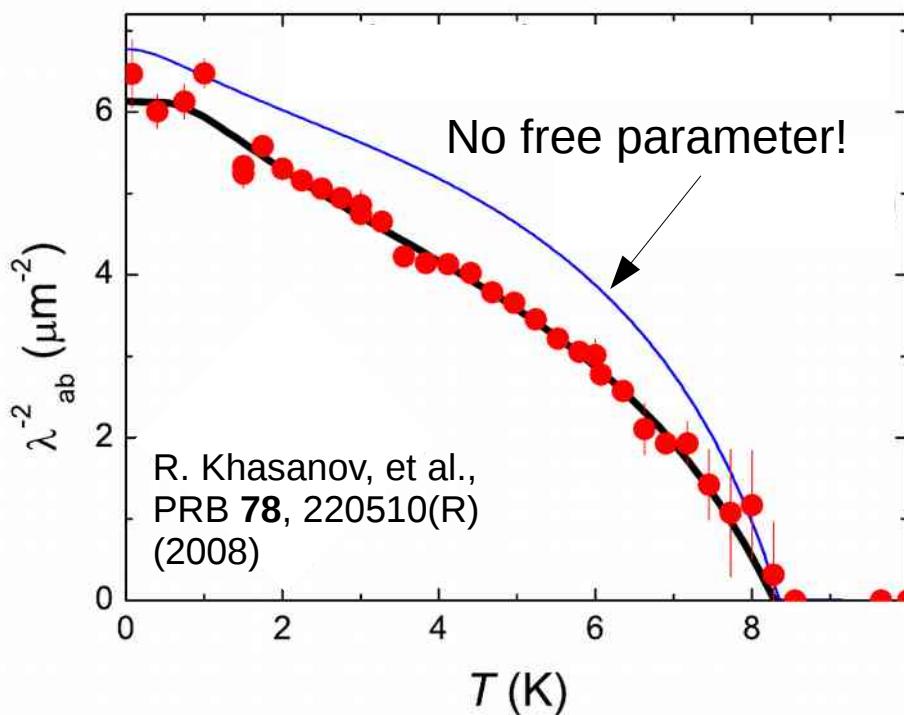
Band structure with reduced coherence

Magnetic penetration depth

- Penetration depth from tight binding model

$$\frac{1}{\lambda_i^2} = \frac{4\pi e^2}{c^2 \hbar^2} \sum_{\mathbf{k}, \nu} \frac{d\tilde{E}_\nu(\mathbf{k})}{dk_i} \left(\frac{d\tilde{E}_\nu(\mathbf{k})}{dk_i} |\Delta_\mathbf{k}|^2 - \frac{d|\Delta_\mathbf{k}|}{dk_i} |\Delta_\mathbf{k}| \tilde{E}_\nu(\mathbf{k}) \right) \\ \times \frac{\tilde{Z}_\nu(\mathbf{k})}{E_{\nu, \mathbf{k}}^2} \left(\frac{1}{E_{\nu, \mathbf{k}}} \tanh\left(\frac{E_{\nu, \mathbf{k}}}{2k_B T}\right) - \frac{1}{2k_B T} \operatorname{sech}\left(\frac{E_{\nu, \mathbf{k}}}{2k_B T}\right)^2 \right)$$

M. V. Eremin, et al., J. Phys.: Condens. Matter **22**, 185704 (2010).



P. Biswas, et al. (in preparation)

A. Kreisel, et al.
 Phys. Rev. B **95**, 174504 (2017)
 Sprau, Kostin, Kreisel, et al.,
 Science, **357**, 75 (2017)
 Kostin, Sprau, Kreisel, et al.,
 arXiv:1802.02266

Summary

- Phenomenological, but microscopic approach: including low-energy renormalizations

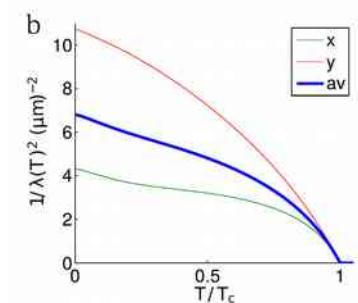
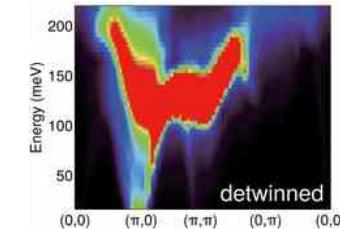
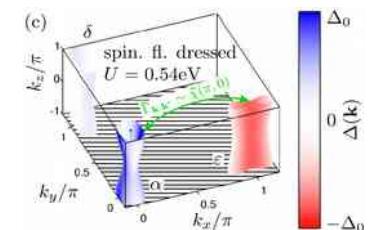
$$\tilde{G}_{\ell\ell'}(\mathbf{k}, \omega_n) = \sqrt{Z_\ell Z_{\ell'}} \sum_\mu \frac{a_\mu^\ell(\mathbf{k}) a_\mu^{\ell'*}(\mathbf{k})}{i\omega_n - \tilde{E}_\mu(\mathbf{k})}$$

- Consequences

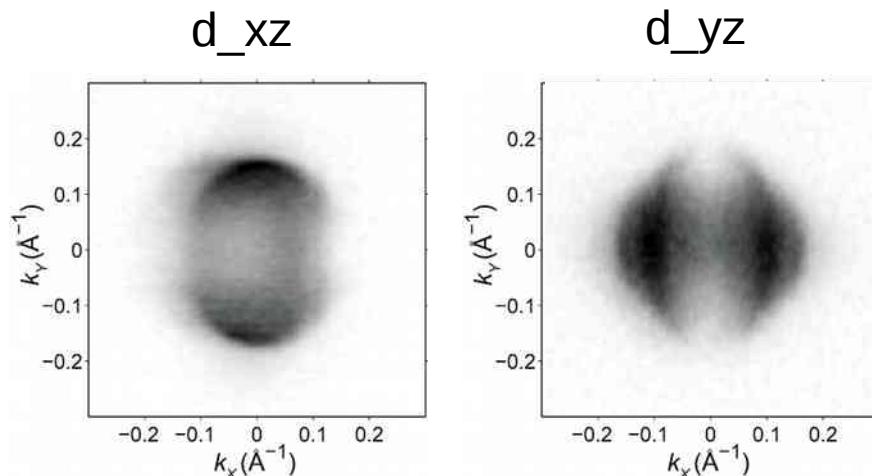
- Anisotropic quasiparticle scattering in FeSe
- Pairing: modified spin-fluctuation theory (stabilization of s-wave pairing, anisotropic order parameter for FeSe)
- Magnetism, spin-fluctuation spectrum: suppression of (π, π) spectral weight, prediction for INS on detwinned FeSe
- Penetration depth: anisotropies (elongated vortices), magnitude fixed by parameters

- Microscopic calculation of $\sqrt{Z_\ell}$

RPA approach → Bhattacharyya et al. (in preparation)
 slave boson approach → Chatzileftheriou (unpublished);
 Yu, Zhu, Si, arXiv:1803.01733



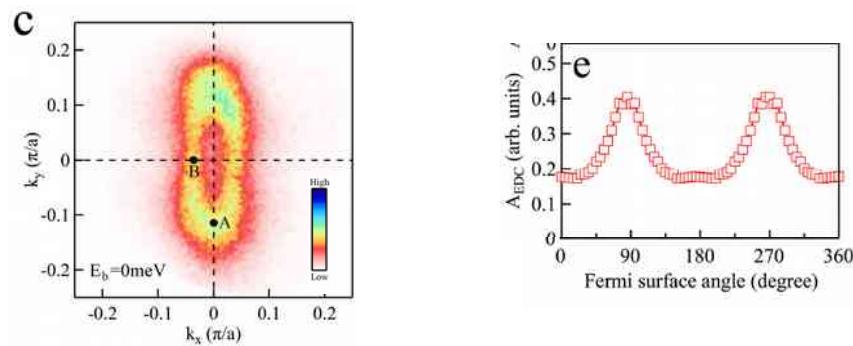
ARPES on FeSe



Watson, et al., New J. Phys. **19**, 103021 (2017)



Orbitally resolved spectral function
A. Kreisel, et al.
Phys. Rev. B **95**, 174504 (2017)



Liu, et al., arXiv:1802.02940